# Unleashing the Full Power of UPF Power States

Erich Marschner Mentor Graphics Corporation 3919 River Walk Ellicott City, MD 21042 USA erich\_marschner@mentor.com John Biggs ARM Ltd. 110 Fulbourn Road Cambridge CB1 9NJ UK john.biggs@arm.com

#### Keywords—low power design; low power verification; power modeling (key words)

Abstract—IEEE 1801 UPF [1] provides the ability to define power states of objects in a power-managed design. Power states drive analysis of isolation/level shifting requirements and can also be used for estimation of power dissipation. UPF power state definition is extremely flexible, but this comes at a cost: without a good methodology for defining power states, power intent can become complex and difficult to understand.

In this paper, we explain UPF power state definitions and the semantic issues that can arise from undisciplined usage. We present a taxonomy of power state definitions that differentiates fundamental, mutually exclusive, and non-mutuallyexclusive power states. Using this taxonomy we define a methodology for power state definition and refinement that avoids semantic ambiguities and enables hierarchical composition of power intent as required by a successive refinement flow [2]. We relate this state taxonomy to the concepts of partially ordered sets and lattices [3] and to previous work such as Boole's expansion theorem [4] and Harel's Statecharts [5].

## I. INTRODUCTION

The Unified Power Format (UPF) was developed to enable specification of active power management for RTL designs, so that power management could be factored into early RTL verification and guide the implementation process. Originally released as an Accellera standard in 2007, UPF development then moved to the IEEE; this led to the release of IEEE Std 1801 UPF in 2009. More recently, updates to this standard were published in 2013 [1] and 2014.

Accellera UPF<sup>1</sup> included support for defining the possible values of supply ports ("port states") used to deliver power to a system, together with "power state tables" (or PSTs) that defined legal combinations of port states. PSTbased analysis of the possible combinations of power supply values enabled UPF-supporting tools to determine where isolation and level shifting would be required in a given design, and this is commonly used in tools today to check that isolation and level shifting is actually inserted by the UPF power intent specification where it is required.

However, since power supplies typically originate off-chip and must be routed through the supply distribution network to the power domains that comprise the system, Accellera UPF effectively required implementation of power management in detail before verification could start. This tended to delay power aware verification until later in the flow than necessary or require that verification be repeated later if earlier assumptions about implementation details proved to be incorrect. Also, Accellera UPF had no way of specifying power management requirements for IP components that might be used in a system. To address these issues, IEEE Std 1801 UPF added a number of new features. Two of these are of particular relevance to this paper: supply sets, and power states.

A supply set represents the power provided to a power domain for a particular use, such as the primary supply of the domain, an isolation supply, or a retention supply. Supply sets are an abstraction of connections to a power distribution network, and they can be used to model incoming power to the domain before the supply distribution network has been defined. Supply sets for a given power domain are defined along with the power domain. They can also be defined as separate objects via the create\_supply\_set command.

A power state represents a particular mode of operation of supply set or a power domain. For a supply set, a given power state indicates whether and how it is providing power to a power domain or related power management cell. For a power domain, a power state indicates the current operational mode of that domain, and as a consequence, whether or how the power domain is consuming power. Power states are defined with the add\_power\_state command.

<sup>&</sup>lt;sup>1</sup> Also known as UPF 1.0.

The add\_power\_state command is an extremely flexible and powerful command that enables the user to construct very complex power state definitions sufficient to model any possible situation. However, that flexibility and power, if used indiscriminately, can result in power state definitions that are difficult to understand, difficult to debug, and even difficult for tools to analyze. To avoid these potential problems, it is important to understand what power states represent, how they can be defined in an orderly and methodical fashion to ensure maximum clarity, and how they can be organized to most effectively support verification and analysis by tools.

# A. The add\_power\_state Command

The UPF add\_power\_state command defines power states of a supply set or a power domain.

Any number of power states can be defined for a given object. Power states of a given object are defined in terms of the states of other objects that either comprise the given object or are contained in or below the HDL scope in which the given object is defined.

Each power state is defined in terms of a supply expression, a logic expression, or both. A supply expression is used only for supply set power states; it refers to supply states of the functions of that supply set. A logic expression can be used in the definition of power states for either supply sets or power domains. It can refer to control conditions, clock frequencies, and power states of the domain's supply sets.

Each power state can be defined as either legal or illegal. If unspecified, the default is legal. A supply set power state can also specify a simstate, which defines how logic powered by this supply set will behave in simulation when in this power state. Simstate values range from NORMAL to CORRUPT, with intermediate values indicating successively more sensitivity to changes that could cause corruption.

An initial power state definition can be refined later by repeating the command with the -update option. Command refinement can extend an existing state definition - for example, to add a logic expression. It can also extend an existing state's supply expression or logic expression by ANDing the original with a new term.

```
# Example Power State Definitions
# Adapted from examples in IEEE Std 1801-2013, clause 6.4, pg 57
#_____
# Power states for the primary supply set of power domain PDA
add_power_state PDA.primary -supply \
  -state {ON -simstate NORMAL \
   -logic_expr {SW_ON} \
    -supply_expr { power == {FULL_ON 0.8} && \
ground == {FULL_ON 0.0} }
 -state {OFF -simstate CORRUPT \
    -logic_expr {!SW_ON} \
    -supply_expr { power == OFF || \
ground == OFF } }
# Another power state for the primary supply set of power domain PDA
add_power_state PDA.primary -supply -update '
  -state {SLOW -simstate CORRUPT_STATE_ON_CHANGE \
    -logic_expr {SW_ON && interval(clk posedge negedge)>= 100ns} \
    -supply_expr { power == {FULL_ON 0.8} && 
ground == {FULL_ON 0.0} }
# Updating the previous state definitions to include nwell specifications
add_power_state PDA.primary -supply -update \
 -state {ON -supply_expr { nwell == {FULL_ON 0.8} } } \
  -state {SLOW -supply_expr { nwell == {FULL_ON 1.0} } }
# Declaring that there are no more legal power states of PDA.primary
add_power_state PDA.primary -supply -update -complete
# Power states of power domain PDA based on its primary supply and a control input
add_power_state PDA -domain \
               -logic_expr { primary == ON && !sleep } } \
 -state {RUN
```

```
-state {SLEEP -logic_expr { primary == ON && sleep } } \
-state {SHUTDOWN -logic_expr { primary == OFF } }
# Power states of power domain PDTOP based on the power states of domains PDA, PDB
add_power_state PDTOP -domain \
-state {S1 -logic_expr { PDA == RUN && PDB == RUN } } \
-state {S2 -logic_expr { PDA == SLEEP || PDB == SLEEP } } \
-state {S3 -logic_expr { PDA != RUN && PDB != SHUTDOWN } }
```

#### B. The Power of add\_power\_state

The add\_power\_state command is very powerful in part because the supply and logic expressions used to define power states allow for general Boolean expressions. As the above example code illustrates, these expressions include support for the following special subexpression forms:

- interval (signal name [, edge1 [, edge2]])
   for detecting clock frequencies
- supply == {supply net state [voltage1 [voltage2]]}
   for detecting a supply port/net or supply set function's value
- supply set == power state

- for detecting the state of a supply set that affects another object's power state

- power domain == power state
  - for detecting the state of a power domain that affects another object's power state

Since power states are defined with Boolean expressions, they are essentially predicates. When a given power state's defining expressions are True, that power state is active. As a consequence of this definitional approach, more than one power state can be active at a given time. This allows definition of non-mutually-exclusive power states as well as mutually-exclusive power states.

#### II. ISSUES WITH ADD\_POWER\_STATE

# A. Non-Mutually-Exclusive States can be a Problem

For some applications, non-mutually exclusive states are quite useful. In particular, they can be used to express abstraction, in which a more general state represents a set of more specific states, and therefore the more general state overlaps with (is not mutually exclusive with respect to) each of the more specific states. For example, an abstract power state ON could be defined as an abstraction of the set of more specific power states {NORMAL, ECO, TURBO}.

For other applications, non-mutually-exclusive states are often problematic. For example, such states make reasoning about state transitions more difficult. Is it possible to transition from a more specific state to a more general state? Or vice versa? For some applications, mutually exclusive states are absolutely required, such as when attempting to model power consumption of a component.

When power states are defined with general Boolean expressions, determining whether two power states are mutually exclusive can be challenging, both for users and for tools. In general this requires support for Boolean expression analysis, which is typically available in some tools but not others.

# B. Semantics of –update Are Not Sufficient

UPF is intended to support successive refinement of power intent [1], in which information is specified incrementally as it becomes available. In a successive refinement flow, usage constraints are specified for system components, logical configuration information is then specified when components are integrated into a system, and physical implementation details are then specified in order to drive the implementation process.

Part of successive refinement is refinement of power state definitions. Fundamental power states for components can be specified along with constraints. These states can be refined further when the system is configured, to reflect

power management decisions. These states can be further refined with technology-specific information when implementation details are provided.

Refinement creates a more specific state derived from a previously defined power state. This new state is necessarily non-mutually-exclusive with respect to the previously defined state. The add\_power\_state command does support refinement of a sort using its -update option. However, such refinement is strictly linear. To be truly useful, a successive refinement methodology requires support for branching refinement, in which a given abstract state can be refined multiple times to produce independent refined states, each of which is non-mutually-exclusive with respect to the original state.

# C. Updating a Power State with -update

Another problem with add\_power\_state -update is that it changes the definition of the original state. Since the definition of one power state may depend upon another object being in a particular power state, a change to the definition of a power state of one object may affect the definition of a power state of another object. The "update-in-place" semantics of add\_power\_state -update can therefore have unexpected effects throughout the set of power state definitions for a system.

## D. How Power State Definitions Should Work

Ideally, it should be possible to do the following

- define fundamental power states as mutually exclusive states
- refine existing power states multiple times to create new, more specific (and mutually exclusive) variants
- refer to a power state without any risk of its definition being undermined by later changes

In particular, power state refinement should

- enable identification of a unique current power state, and
- preserve the ability to detect illegal states and illegal transitions

Also, it should be easy to determine whether two power states are expected to be mutually exclusive or not, both for tools and for users.

# III. POWER STATE DEFINITION AND REFINEMENT CONCEPTS

#### A. What Exactly is a Power State?

Any object consists of a set of items that characterize its functional state. For example, a supply set's state is characterized by the states of its supply set functions; a power domain's state is characterized by the states of its supply sets; an IP block's state is characterized by the states of its constituent elements (power domains and macro instances). The set of all possible combinations of values of these characteristic items is the set containing all possible functional states of the object. This set of possible value combinations defines the functional state space of the object.

A power state represents a subset of this set of all possible functional states of an object, or equivalently, a region within the functional state space of the object. The defining expression of a power state evaluates to True for every value combination in this subset and evaluates to False for every value combination outside this subset.

Figure 1 illustrates this concept. The state of an object O is characterized by the values of its constituent elements, A, B, and C, which are Boolean-valued signals, so there are  $2^3 = 8$  possible functional states of object O. For this object, three power states have been defined: S1, S2, and S3, each with its respective defining expression over the characteristic elements of O. Of these elements, C is a don't care in all three power states; the defining expressions only refer to A and B.

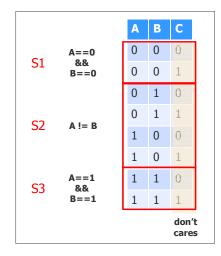


Figure 1. Power State Definition

Why do we use the term "power state" for these subsets of functional states? There are two reasons. For some objects, the characteristic elements are supply sources such as power and ground rails, and therefore their "functional states" actually represent their ability to provide power to devices to which they are connected. For other objects, their functional states indicate which of their component elements are actively operating and therefore which logic elements will consume power in that functional mode. While these are slight different concepts, it is convenient to lump both into the category of "power state".

# B. What Exactly is Power State Refinement?

Refinement of a power state amounts to subsetting. Refining a given power state involves definition of a new power state characterized by a more restricted subset of the functional states of the given power state. A refined power state is therefore always contained within the functional state space of the original, more abstract power state.

Refinement (i.e., restriction) is accomplished by imposing additional requirements that must be satisfied by the set of characteristic item values that define the more abstract power state. This amounts to extending the defining expression of the more abstract power state with another condition. For example, if the more abstract power state's defining expression is  $\{C1\}$ , then a refinement of that power state might have the defining expression  $\{C1 \& C2\}$ , where C2 is the additional condition that must be satisfied by the values of that object's characteristic elements for that object to be in the more refined state.

This is similar to how -update works, but with -update the original definition is changed rather than creating a new definition. Use of –update amounts to "refinement in place", in that the original definition is modified in the process.

```
# Power state "refinement in place" using -update
# _ _ _ _ _ _ .
add_power_state PDA -domain \
  -state {A1 \
    -logic_expr {C1} }
add_power_state PDTOP -domain \
  -state {TOP1 \
    -logic_expr {PDA == A1 && C2} }
# The above is equivalent to
#
 add_power_state PDTOP -domain \
    -state {TOP1 \
#
      -logic_expr {C1 && C2} }
#
add_power_state PDA -domain -update \
```

```
-state {A1 \
    -logic_expr {!C2} }
 The above is equivalent to
#
#
 add_power_state PDA -domain -update \
#
   -state {A1 \setminus
     -logic_expr {C1 && !C2} }
#
# And it causes a ripple effect on PDTOP
 add_power_state PDTOP -domain \
#
   -state {TOP1 \
      -logic_expr {C1 && C2 && !C2} } ;# <= contradiction
#
```

# C. Branching Refinement

An alternative to "refinement in place" is "refinement by derivation". This approach involves defining a new power state (with a new name), based on the original power state. Such refinement can be done any number of times without modifying the original power state definition. Each refinement produces a new power state that is non-mutually-exclusive with the original abstract state. This non-mutual-exclusion is useful for representing abstraction and for enabling top-down design. However, we will impose a requirement that all refinements of the same parent object must be mutually exclusive.

"Refinement by derivation" preserves the original power state definition and thus avoids unexpected semantic changes in other commands that refer to that original power state. This kind of refinement results in an abstraction/refinement hierarchy in which more abstract states are refined to create more specific states.

This method also enables orthogonal definition of mutually-exclusive and non-mutually-exclusive states: sibling states (refined from the same parent state) must be mutually-exclusive, whereas states related by refinement (on the same path from the root to a leaf of the refinement hierarchy) will be non-mutually-exclusive.

```
#____
# Power state "refinement by derivation"
#------
                                    _____
add_power_state PDA -domain \
 -state {A1 \
   -logic_expr {C1} }
add_power_state PDTOP -domain \
 -state {TOP1 \
   -logic_expr {PDA == A1 && C2} }
# This is equivalent to
 add_power_state PDTOP -domain \
#
   -state {TOP1 \
#
     -logic_expr {C1 && C2} }
#
# Refining state A1 by adding another condition to its logic expression {C1}
add_power_state PDA -domain -update \
 -state {A1R \
   -logic_expr {C1 && !C2} }
# Refined State A1R can now be used instead of A1 where required
# The definition of state TOP1 of PDTOP remains unaffected
```

#### D. Definite, Indefinite, and Deferred Power States

Given the view of refinement as subsetting the functional state space of an object, refinement is well-defined when the defining expression of a power state is limited to equality and conjunction. Such a defining expression effectively specifies a particular binding of values to the variables that characterize the state (the care set). When a power state R is defined as a refinement of a more abstract state A, the defining expression of R will effectively include the defining expression of A conjoined with additional conditions that restrict the state space to R.

To capture this idea, we introduce the concept of a "definite power state". A definite power state of an object OBJ is a state whose defining expression is a conjunction of terms of the form <obj>==<state>, where <obj> is a characteristic element of object OBJ, and <state> is a definite state of that element. A term in the defining expression of a definite power state can also be a Boolean expression that refers only to control conditions in the

design, including use of the UPF interval function. Such terms terminate the recursion in the first part of the definition.

Refinement is not as well-defined for operators other than equality and conjunction. In particular, use of disjunction or negation in the defining expression of a power state implies potentially multiple values for the objects whose values characterize that state. To reflect this, we introduce the concept of an "indefinite power state". An indefinite power state is one whose defining expression is not of the form required for a definite state or contains a term that refers to an indefinite state of another object.

In some cases, the defining expression of a power state is not known when it is first defined, typically because it depends upon information that is not yet available. For example, technology-specific or implementation-specific information such as whether a given supply will be switched using header switches (for the power rail) or footer switches (for the ground rail) may not be available when the OFF state of a supply set is defined. In such cases, the defining expression may be left unspecified, to be completed later. We refer to such a case as a "deferred power state". For convenience, we will assume that a deferred power state will eventually become a definite power state when its defining expression is known. This allows deferred power states to be referred to in the defining expression of another definite power state.

# IV. A METHODICAL APPROACH TO DEFINING POWER STATES

# A. A New Model for Power State Refinement

Given the above-mentioned concepts, we can now present a coherent model for power state definition and refinement:

- Fundamental power states are those that do not refer to any other power state of the same object. They can be either definite, indefinite, or deferred states.
- For any object, there exists a predefined power state UNDEFINED that initially represents the set of all possible states of an object. Fundamental power states are carved out of the UNDEFINED state using mutually-exclusive defining expressions. The UNDEFINED state therefore ultimately represents all states that are not defined as fundamental power states. The UNDEFINED power state's defining expression is therefore essentially the condition "no fundamental state is active".
- Definite states can be refined by derivation to create a set of mutually-exclusive substates or refinements. Indefinite states cannot be refined. Deferred states can be updated later (using refinement in place) to complete their definition; such updates must result in definite states.
- If state R is a refinement of state A, then A is an abstraction of R, and A, R are related by refinement.
- An ERROR state is predefined for any object. This ERROR state becomes active if any two states not related by refinement are active at the same time.

This refinement methodology encourages the definition of mutually exclusive power states, but there is still a need to ensure that states are mutually exclusive. For simulation this implies a dynamic (runtime) check; for static verification tools, this implies a need for Boolean analysis.

# B. Active and Current Power States

Since states that are related by refinement are not mutually exclusive, it is possible to have multiple states active at the same time. For situations where it is important to identify a single unique state for an object, a precedence rule is introduced.

A state is active if its defining expression is true. If two states that are related by refinement are active at the same time, then the most refined state shall take precedence. This is reflected in the following algorithm for determining the current power state:

If only one power state is active,

that state is the current power state;

Else if more than one definite power state is active, and all active states are related by refinement, then the most refined state is the current power state;

Else ERROR is the current power state

Note that the UNDEFINED state will be active if no other (fundamental or refined) power state is active, so the first part of this algorithm may result in identifying the UNDEFINED state and the current power state.

# C. Implementing this Model with add\_power\_state

This approach to power state definition and refinement can be implemented today using the current<sup>2</sup> features of the add\_power\_state command in a particular manner. The following set of guidelines explain how to accomplish this.

For any given object O, define the power states of that object as follows:

- 1. Define the fundamental power states of the object, taking care to ensure that the defining expressions of the fundamental power states are mutually exclusive. Where possible, define definite power states or deferred power states rather than indefinite power states.
- 2. When refinement of an existing state becomes necessary, use refinement by derivation. Instead of copying the original state's supply or logic expressions, refer to the existing state by name in the logic expression. For example, to refine an existing state S of object O, define a new state SR whose logic expression includes the term (O==S). This will have the same effect as copying the defining expression of state SR.
- 3. When refining the same existing state more than once, ensure that each refinement's defining expression is mutually exclusive with respect to the others'.
- 4. Define an UNDEFINED state with the logic expression (O != FS1 && O != FS2 && ... O != FSn), where FSk (k=1..n) represent the fundamental states of O. For example, for a supply set SS with fundamental states ON and OFF, define state UNDEFINED with the logic expression (SS != ON && SS != OFF).
- 5. Define an ERROR state with a logic expression that will be True if any two fundamental states of O are active at the same time. For example, for a supply set SS with fundamental states ON and OFF, define state ERROR with the logic expression (SS==ON && SS==OFF).
- 6. If object O is a supply set object, then
  - for the UNDEFINED state, do not specify a simstate.
  - for any refinement R of a power state A, ensure that the simstate of R is at least as conservative as that of A (where NORMAL is least conservative, CORRUPT is most conservative).
  - for the ERROR state, specify a simstate of CORRUPT.

The above guidelines ensure that the power states of an object are defined in a consistent, hierarchical manner, with mutually-exclusive states in each layer of the hierarchy, with non-mutually-exclusive states representing abstraction/refinement along any path down the hierarchy, and with an UNDEFINED state and an ERROR state to represent situations in which no fundamental state or more than one fundamental state is active at the same time. The last guideline regarding simstates ensures that the existing simstate precedence rules in UPF 2.x will effectively give the same result as the precedence rule given above for determining the current power state.

# D. Example Application of these Guidelines

To illustrate the use of the above guidelines in a practical example, we present power state definitions for a power domain PD and its primary supply set PD.primary.

The fundamental power states of a supply set generally include an ON state and an OFF state. The ON state requires that both power and ground supplies are in their FULL\_ON state; voltages for those supplies may be technology-dependent and can be added later (using –update). The OFF state typically implies that either the power or ground rail is switched. This is implementation-dependent and therefore may need to be added later (with – update); if so, the definition of OFF can be left as a deferred power state. So the initial set of power states for supply set PD.primary would be as follows:

```
# Power states for supply set PD.primary
#------
add_power_state PD.primary -supply \
   -state {UNDEFINED \
        -logic_expr {PD.primary != ON && PD.primary != OFF} } \
```

<sup>&</sup>lt;sup>2</sup> UPF 2.0 (1801-2009) or 2.1 (1801-2013) or 2.2 (1801-2014)

```
-state {ON -simstate NORMAL \
   -supply_expr {power == FULL_ON && ground == FULL_ON} } \
-state {OFF -simstate CORRUPT \
   -state {ERROR -simstate CORRUPT \
    -logic_expr {PD.primary == ON && PD.primary == OFF} }
```

This set of power state definitions for a supply set is sufficient to enable definition of the fundamental power states of a power domain. In the simplest case, we might define the fundamental power states of domain PD as follows:

If state retention is required for power domain PD, we can add additional retention states through refinement of the existing states. There are various ways to implement state retention. Depending the style of state retention adopted in a given design, different refinements of the fundamental states described above may be appropriate.

For example, state retention can be implemented by using retention registers, which may require a retention supply. Suppose power domain PD has another supply, PD.retention, with the same set of power states defined for it as we defined above for PD.primary. In that case, we might add a retention state to the set of power states defined for domain PD, as follows:

```
#-----
# Retention power state for power domain PD
#-----
add_power_state PD -domain -update \
   -state {RET \
        -logic_expr {PD == DOWN && PD.retention == ON} }
```

This refines the UP state of power domain PD by conjoining the condition PD.retention==ON with the original condition PD.primary==OFF, given by the definition of power state DOWN. Note that if PD is in the RET state, it will also be in the DOWN state, because the defining expression for the RET state contains the defining expression for the DOWN state, and therefore the state space represented by the DOWN state contains the state space represented by the RET state. In that case, the precedence rule given above would identify the RET state as the current power state.

Another way of modeling state retention might be to put the PD.primary supply into a low voltage or bias state in which the logic in the domain will maintain its state provided that its inputs do not change. This can be modeled by refining the PD.primary supply set's ON state to create a retention state, rather than refining the power states of domain PD. This could be done as follows:

```
#-----
# Retention power state for supply set PD.primary
#------
add_power_state PD.primary -supply -update \
    -state {RET -simstate CORRUPT_ON_CHANGE \
    -logic_expr {PD.primary == ON && sleep} }
```

where 'sleep' is a control signal that causes PD.primary to go into a low voltage or bias state. Note that in this case, since RET is a supply set power state, we include simstate CORRUPT\_ON\_CHANGE to ensure that the domain logic will be corrupted if its inputs change while in this state. Since CORRUPT\_ON\_CHANGE is more conservative than the NORMAL simstate of power state ON, the existing UPF 2.x simstate precedence rules would apply the CORRUPT\_ON\_CHANGE simstate when the supply set is in both the ON and RET power states at the same time.

Another application of power state refinement would be to define performance states. For example, we might define the following power states to represent various levels of performance:

```
# Low, Med, and High performance power states for supply set PD.primary
#------
add_power_state PD.primary -supply -update \
   -state {LOW -simstate NORMAL \
        -logic_expr {PD.primary == ON && perfmode==2'b10} } \
    -state {MED -simstate NORMAL \
        -logic_expr {PD.primary == ON && perfmode==2'b00} } \
    -state {HIGH -simstate NORMAL \
        -logic_expr {PD.primary == ON && perfmode==2'b00} } \
```

where 'perfmode' is a control signal that ultimately will control the voltage level on PD.primary to enable support for the selected level of performance. In each case, there may also be a maximum clock speed allowed for that state. This could be captured using the UPF 'interval' function, either in the above refinements of ON state of supply set PD.primary, or in corresponding refinements of the UP state of power domain PD, such as the following:

```
#------
# Slow, Norm, and Fast performance power states for power domain PD
#------
add_power_state PD -domain -update \
--state {SLOW \
-logic_expr {PD == UP && PD.primary == LOW && interval(clk) >= 1ns} } \
-state {NORM \
-logic_expr {PD == UP && PD.primary == MED && interval(clk) >= 500ps} } \
-state {FAST \
-logic_expr {PD == UP && PD.primary == HIGH && interval(clk) >= 333ps} } \
```

These definitions specify that the clock frequency (indicated by the delay between posedge events, which is the default for the interval function) is no faster than 1GHz in the SLOW state, 2GHz in the NORM state, and 3GHz in the FAST state. Once again, if one of these performance states of PD is active, then power state UP of PD will also be active, but the precedence rule for power states will identify the most refined state as the current power state.

Note that it would not be possible to remove the references to PD.primary in the above definitions. If the references to PD.primary == LOW, MED, or HIGH were removed from these definitions, then these states would no longer be mutually exclusive with respect to each other, since if the term (interval(clk)  $\geq$ = 1ns) were true, then both of the other interval functions would necessarily also be true. This is an illustration of the need for care in defining refinements of a given state, to ensure that all refinements of the same state are mutually exclusive with respect to each other.

### V. RELATED WORK

The power state definition model described has characteristics that are similar to, and in at least one case inspired by, other systems of state definition and organization. In this section we compare and contrast the UPF power state definition and refinement model with those other systems.

# A. Partially Ordered Sets and Lattices

When the power state definitions described in section IV above are followed, the resulting set of power states represents an abstraction/refinement hierarchy. This power state hierarchy is a *partially ordered set* [3], in which the refinement process defines a partial order over the power states. The refinement relation defines a partial order

primarily because the refinement relation is transitive (if C refines B, and B refines A, then C refines A). This relation is also antisymmetric (although vacuously, since we disallow cycles in the refinement hierarchy and therefore there cannot exist two states that are refinements of each other) and reflexive (a state A can be viewed as either itself or as a refinement itself involving the additional condition 'True').

When such a power state hierarchy is viewed as a partially ordered set, any path from a fundamental state to its most refined state is a *chain*, since the set of states along that path is given a total order by the refinement relation. Similarly, the set of fundamental states (and the set of refinements of any given state) is an *antichain*, since states at any given level of the hierarchy are not related by refinement and therefore are unordered by the refinement relation. The power states UNDEFINED and ERROR are the minimal and maximal elements, respectively, of this partially ordered set.

One partially ordered set commonly used in logic design is the four-valued logic X01Z, which can be represented by a lattice (a special case of partially ordered set) as shown in Figure 2. In this lattice, Z is the minimum and the greatest lower bound, while X is the maximum and the least upper bound. In the X01Z logic, Z represents no value, or the empty set {}; 0 and 1 each represent themselves, or the sets {0} and {1} respectively containing those values, and X represents the set {0,1} containing both values. In the context of hardware design and hardware description languages, Z represents no driving value on an output, 0 and 1 respectively represent a low (zero voltage) or high (non-zero voltage) driving an output, and X represents a conflict between two drivers driving the same output with different values.

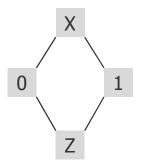


Figure 2. Lattice for X01Z Logic

A power state abstraction/refinement hierarchy is similar in concept to this lattice. The UNDEFINED power state is the 'minimum' state (no fundamental state is active). The ERROR power state is the 'maximum' state (two fundamental states, which should be mutually-exclusive, are both active at the same time). Indeed, the concept of the UNDEFINED and ERROR states described above was inspired by the Z and X values in the X01Z lattice.

However, a UPF power state abstraction/refinement hierarchy is not generally a lattice. In particular, there is no requirement for strictly binary branching in a power state abstraction/refinement hierarchy, and the only convergence (*join* operation) is at the ERROR state. Finally, there is a minor difference in the typical representation of a power state hierarchy: we usually draw diagrams of power state abstraction/refinement with the more abstract states (the fundamental power states, and the UNDEFINED state) at the top of the diagram, and the most refined states (and the ERROR state) at the bottom of the diagram. For example, Figure 3 contains a diagram of the power states defined in section IV above.

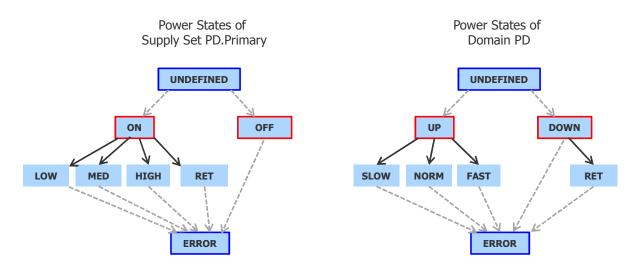


Figure 3. Power State Hierarchies

# B. Boole's expansion theorem (or Shannon's expansion)

A power state hierarchy also bears some resemblance to a binary decision diagram (BDD). The BDD concept is ultimately based upon the Boole (or Shannon) expansion theorem. This idea was originally presented by George Boole in his Laws of Thought, Proposition II [4]; it was later applied to switching circuit design by Claude Shannon in 1948.

The Boole expansion theorem transforms a function of N Boolean variables into the disjunction of two subfunctions, each of which has N-1 variables and a constant for the Nth variable:

$$f(X_1, X_2, ..., X_N) = (X_1 \&\& f(1, X_2, ..., X_N)) \parallel (X_1, \&\& f(0, X_2, ..., X_N))$$

Assuming that the variables in this case are truly two-valued Boolean variables (rather than X01Z values), then the OR operator  $\parallel$  in this transformation is effectively an XOR, since X<sub>i</sub> cannot be both 0 and 1 at the same time. The two subfunctions are called the "Shannon cofactors", which are computed by the restrict operator: restrict (f,x,0), restrict (f,x,1).

This transformation leads to a BDD, where each node has two branches (for x==0, for x==1). The BDD provides a decision procedure for determining the value of the function, by traversing the BDD from the root to a leaf, taking a branch based on the value of some  $X_i$  at each node. Note that BDD traversal may reach a leaf node after visiting anywhere from 1 to N intermediate nodes, because some variables may be don't cares for a particular path through the BDD.

A power state abstraction/refinement hierarchy defines a similar framework for a decision procedure for the current power state of an object. In a power state hierarchy, refinements of any given state are defined as the XOR of (mutually-exclusive) substates of that state. Each refinement restricts the parent power state's state space to subset state spaces that does not overlap that of any other refinement of the same state.

The precedence rule for determining the current power state can be viewed as a decision procedure. The initial state is the UNDEFINED state. If none of the fundamental states are active, then the UNDEFINED state is the current power state. Otherwise, the decision procedure selects the active fundamental state and repeats the test at the next level of the hierarchy. The lowest (most refined) state in the hierarchy that is active is the current power state. This may be the ERROR state if two fundamental states are active at the same time.

While these similarities exist, there are also differences. Unlike a BDD with its binary branching, a power state abstraction/refinement hierarchy may have multiple substates depending from each state. Also, in a power state hierarchy, the intermediate nodes of the hierarchy can be the final result of evaluation, whereas a BDD always leads to a leaf node.

# C. Harel's Statecharts

Statecharts [5] are diagrams representing hierarchical state machines that enable graphical modeling of state abstraction/refinement and concurrent operation communication among system elements. Statecharts were introduced for modeling reactive systems, which are difficult to describe with flat finite state machines because the concurrent operation of their subcomponents lead to exponential state explosion when the state space is flattened.

Key concepts supported by Statecharts include clustering of states into superstates, refinement of states, the ability to model independent or orthogonal sets of states, and the ability to model abstract or generalized state transitions. These concepts closely parallel the concepts described above for UPF power states.

Clustering of two states represents the XOR of those states, which implies that the cluster is an abstraction of the states in the cluster. This operation can be performed bottom-up (grouping existing states into a superstate) or top-down (partitioning an existing state into substates). The latter corresponds to refinement of a power state to create a set of mutually-exclusive new states.

Statecharts also support AND decomposition of a state as a conjunction of substates. This represents concurrent operation of subordinate components and implies "orthogonal product" states of the collection of referenced components. It can be used to represent either synchronization of those components (when an event causes entry into the superstate) or independent operation (when an event causes only one subordinate component to change state). The AND decomposition is analogous to the concept of a Definite State in UPF, in which a given power state has a defining expression that is a conjunction of terms, each of which test for the state of another object. However, in UPF it is an error for a given object to be in multiple states at the same time, so in UPF the AND decomposition typically refers to states of other objects, not states of the same object.

Statecharts can also express non-mutually-exclusive OR decomposition, which is analogous to the Indefinite States of UPF. As in UPF, such states can lead to semantic issues (including non-determinism), but nonetheless they are necessary or convenient in some situations.

Statecharts involve a number of control mechanisms for determining which substate is entered when an aggregate state is entered. Not all of these capabilities are present in UPF, although the ability to refer to control expressions in the defining expression of a power state may enable emulation of some of these features.

Statecharts exhibit an implicit assumption of completeness—that all possible superstates and substates are defined. UPF does not make this assumption, in part to allow for incremental evolution of the UPF power intent specification over the lifetime of a project, and in part to avoid having to define transient intermediate states that may occur in the design between defined states. This is illustrated by the explicit modeling of the UNDEFINED state in UPF. It is also reflected in the definition of active and current power states: the definition of active state treats a given state as a true abstraction of all of its refinements; the definition of current state treats a given state as representing that abstraction minus its refinements. This could also be viewed as the notion that any given UPF power state has an implicit default substate which is the given state excluding all other substates.

Statecharts provide a vehicle for presenting both states and transitions in an integrated, graphical manner. In this paper we have largely focused on UPF power states, but many of the same issues regarding transitions to or from abstract superstates that are addressed by Statecharts are also relevant to UPF.

# VI. FUTURE WORK

Although the approach to power state definition and refinement described above can be implemented in UPF 2.x, the UPF specification could be enhanced to support and encourage this approach more effectively. To that end, a number of changes are planned for the upcoming UPF 3.0 standard.

First, the concepts described above will be explained in the specification. In particular, these include the concepts of Definite, Deferred, and Indefinite power states, and the concept of Refinement by Derivation and how it differs from Refinement in Place with –update. The concepts of state abstraction and refinement, the refinement relation, and fundamental power states will also be explained.

In addition, a syntax extension will enable power state refinement without using the logic expression. This is needed because in some situations such as early system level power analysis, the power state refinement hierarchy needs to be defined before the control conditions and dependencies upon other objects' states are known. This syntax extension will allow dotted names to be used for power states, with the implication that the full dotted name is a refinement of a power state whose name is the prefix of the dotted name. For example, power state name ON.TURBO would imply that this state is a refinement of power state ON.

Various semantic extensions and modifications will also come into play. This includes addition of the predefined power states UNDEFINED and ERROR, as well as the supply set power states OFF and ON, and possibly

predefined power states for domains as well (for example, UP and DOWN). The semantics of the add\_power\_state –complete option will also be revised slightly to allow for refinement of existing states while still prohibiting creation of new states. The precedence rules for determining the current power state will be added, and these will replace the existing precedence rules for simstate application. Finally, the effect of these changes will be applied to clarify the semantics of the describe\_state\_transition command.

## VII. SUMMARY

The UPF add\_power\_state command is a very flexible and powerful way of modeling the power states of an object within a system. That flexibility and power, if used without discipline, can result in potentially complex and difficult to understand power intent specifications.

In this paper we have described the types of problems that can result, especially those related to the conflicting requirements for both mutually-exclusive and non-mutually-exclusive power states. We have presented a new model for power state refinement, refinement by derivation, that supports a much more coherent approach to definition of a hierarchy of power states through refinement. We have shown how this model can be used to define the fundamental power states of both supply sets and domains, as well as refinements of those fundamental power states as appropriate for a particular power management configuration.

We have also shown how this approach relates to previous work in the area of defining hierarchical power states. Finally, we have outlined the enhancements planned for UPF 3.0 to more directly support and encourage the use of this new model for power state definition and refinement.

#### REFERENCES

[2] A. Khan, E. Quigley, J. Biggs, E. Marschner, Successive Refinement: A Methodology for Incremental Specification of Power Intent. Design and Verification Conference (DVCon) 2015.

- [3] C. L. Liu. Elements of Discrete Mathematics. New York: McGraw-Hill, 1977, pp. 57-68.
- [4] G. Boole. An Investigation into the Laws of Thought. New York: Dover, 1958, pp. 73-78. (Original New York: Macmillan, 1854)
- [5] D. Harel. "Statecharts: A Visual Formalism for Complex Systems". Science of Computer Programming, vol. 8, pp. 231-274, 1987.

<sup>[1]</sup> IEEE Standard for Design and Verification of Low-Power Integrated Circuits, IEEE Std 1801, May 2013.